

### UNIVERSITÄT ZU LÜBECK INSTITUTE FOR IT SECURITY



# **DPM: Clustering Sensitive Data through Separation**

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# **Privacy Challenges of Clustering**

**Clustering:** Find groups of data points and determine their centroids. Use centroids to determine

correlations/similarities or perform data synthesis.

**Bridge Point:** A single data point functions as connection between to clusters.



**Privacy:** Extract centroids without leaking sensitive information about single data points.







**Outlier:** Single data point with a large distance from the mass of points.





Differentially-private (DP) clustering algorithms reduce the impact of single data points. However, satisfying privacy necessarily reduces utility.

State-of-the-art approaches [1] partition the data set by applying random splits.

→ DPM achieves higher utility based on carefully selected splits while preserving privacy.

## **Clustering through Separation**

#### **DPM Approach**

**Split Score** 

- 1. Split data points recursively into disjoint subsets:
  - a. Generate a set of split <u>candidates</u> in every dimension.
  - b. Assign a score to each split and select one with a high

#### Window size:

Large areas without data points indicate gaps between clusters. Small





2. Halt if the number of points in each subset falls below a given threshold and obtain centroids by averaging.



areas without data points can also occur inside a cluster.

#### **Emptiness:**

A gap is defined as an area with no or just a few data points.

#### **Centreness:**

Splits close to the centre of the data points are preferred over splits that are close to the boundaries.



**Score = Window size + Emptiness + Centreness** 

### Ensure Privacy of DPM Steps

**Selection via Exponential Mechanism** 



Select candidate with score close to max score with high





Noisy Number of Points in Subset



Perturb the number of data points in a subset.

Noisy Averaging

Find noisy average that is with high probability close to the actual average.

Inertia: Sum of squared distances between data points and their closest centroid.  $\rightarrow$  Low Inertia  $\triangleq$  High Utility

KMeans++: Non-DP clustering LSH-Splits: State-of-the-art DP clustering [1]



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[1] Alisa Chang, Badih Ghazi, Ravi Kumar, Pasin Manurangs: Locally Private k-Means in One Round (2021)