Abstract of my life

Scientific results and innovative ideas DOI: 10.13140/RG.2.2.29092.90249/1

with direct links to articles

A new direction in supersymmetric models of elementary particles, based on the inclusion of semigroups is proposed (book, thesis). The concept of semisupermanifold having noninvertible transition functions (satisfying higher von Neumann regularity) is introduced, and its deviation from being an ordinary manifold is given by a newly defined variable, obstructedness. Based on this idea, the novel notions of category regularization, regular topos, regular functor, higher regular braiding, regular Yang-Baxter equation and regular module, regular algebra and coalgebra, regular graded algebras are presented, and their role in topological quantum field theory is outlined.

Even- and odd-reduced supermatrices are introduced and considered on a par, being complementary in terms of the newely obtained <u>Berezinian addition formula</u>, and are unified into a kind of <u>"sandwich" semigroup</u>. A special subset of odd-reduced supermatrices represent <u>higher order rectangular bands</u> for which new generalized <u>"fine" Green's relations and egg-box diagrams</u> are constructed. <u>One-parameter semigroups of idempotent odd-reduced supermatrices</u> and corresponding superoperator semigroups are introduced and studied by the new <u>semigroup</u> × <u>semigroup method</u>. The linear idempotent superoperators and exponential superoperators are mutually dual in some sense, and the first gives rise to an additional noninvertible <u>non-exponential solutions to the initial Cauchy problem</u>. A novel <u>permanent-determinant symmetry</u> is found for even complex superplane. It is shown that the corresponding counterparts (*per analogs*) of the cross ratio, distance and harmonic set are invariant under the introduced <u>per mapping</u>, a special noninvertible subset of the fractional linear transformation. The per analogs of the <u>Laquerre formula for distance and Schwarzian derivative</u> are presented.

An <u>additional superextension of complex structure</u> is uncovered, which is noninvertible and can correspond to another (odd) superanalog of Riemann surfaces and to the counterpart of <u>superconformal-like transformations which twist the parity of tangent space</u> and their <u>nonlinear realization</u>, which together with the ordinary ones form the <u>superconformal semigroup</u> having special <u>unusual properties</u>. A unique formula connecting <u>berezinian</u>, <u>permanent and determinant</u> is obtained. From a physical viewpoint, the above conceptions can lead to <u>semistatistics</u>, being <u>von Neumann regular analog</u> of the ordinary statistics.

Quantum groups: a generalization of the Hopf algebra is introduced by relaxing the requirement for inverses of the generators of the Cartan subalgebra, which leads to a regular quasi-R-matrix structure. The classification of 6-vertex constant solutions to Yang-Baxter equation over Grassmann algebra is presented, including noninvertible ones which correspond to von Neumann regular R-matrix. The actions of universal enveloping quantum algebras on quantum planes (also of arbitrary dimension) are found. A novel double-graded quantum superplane and corresponding double-graded

Hopf algebra are presented.

- **Singular theories** with degenerate Lagrangians are formulated <u>without involving</u> <u>constraints</u> using Clairaut equation theory and the corresponding generalized <u>Clairaut</u> <u>duality</u>. A new <u>antisymmetric bracket</u> (an analogue of the Poisson bracket) describing the time evolution of singular systems is built. A novel <u>partial Hamiltonian formalism</u> is constructed. It is shown that a <u>singular theory can be interpreted as the multi-time</u> <u>dynamics</u>.
- Nonlinear gauge theories: a generalized approach to nonlinear classical electrodynamics and supersymmetric electrodynamics is suggested, which takes into account all possible types of media and nonlocal effects, and is described in both Lagrangian and non-Lagrangian theories. First steps in the formulation of a general nonlinear conformal-invariant electrodynamics based on nonlinear constitutive equations and conformal compactification were made.
- **Gravity**: constitutive equations for <u>nonlinear gravito-electromagnetism</u> and an exact form of the Maxwell gravitational field equations are obtained. A general approach to describing the <u>interaction of multi-gravity models</u> in space-times of arbitrary dimension is formulated. The gauge gravity vacuum is investigated in the <u>constraintless Clairaut-type formalism</u> (as in <u>QCD</u>). A special <u>fermionic lineal gravity</u> model which differs from standard supersymmetry is presented.
 - Quantum computing (book IOP, FrontMatter): a novel conception of quantum computing which incorporates an additional kind of uncertainty, vagueness/fuzziness, by introducing a new "obscure" class of quaits/qubits, is announced. A superqubit theory in super-Hilbert space is reconsidered, and a new kind of superqubit carrying odd parity is introduced. A new kind of quantum gates, namely higher braiding gates, is suggested, which lead to a special type of multiqubit entanglement that can speed up key distribution and accelerate various algorithms. A novel visualization of quantum walks in terms of newly defined objects, polyanders, is also proposed.
 - **Polyadic structures** (book IOP, FrontMatter): polyadization, i.e. exchanging binary operations with higher arity ones, is proposed as a general new approach to the algebraic structures used in physics. A new form of the Hosszu-Gluskin theorem (giving the general shape of *n*-ary multiplication by the chain formula) in terms of polyadic powers is given, and its "q-deformed" qeneralization is found using the newly introduced quasi-endomorphism. A polyadic analog of homomorphism, or heteromorphism, a mapping between algebraic structures of different arities, is introduced, which leads to the definition of a new kind of *n*-ary group representation, multiplace representations, as well as multiactions and a polyadic direct product.

The <u>arity invariance principle</u>, a manifest expression of algebraic structure in terms of operations independent of their arity shape, is claimed. The relations of the von Neumann regular semigroups and the Artin braid group were found, and a higher arity generalization gave the *polyadic-binary correspondence*, which allowed the definition of the following new structures: <u>higher braid groups</u>, <u>higher degree analogs of Coxeter</u>

<u>group and Artin braid group</u>. The following were also uncovered: unusual <u>polyadic</u> rings and fields (which can, remarkably, be zeroless and nonunital) having addition and multiplication of different arities, <u>polyadic integer numbers</u> and <u>p-adic integers</u>, polyadic convolution products having multiplication and comultiplication of different arities and their corresponding <u>polyadic Hopf algebra</u> and n-ary R-matrix, polyadic multistar adjoints and <u>polyadic operator C*-algebras</u> and <u>Cuntz algebras</u>. The <u>polyadic analogs of the Lander–Parkin–Selfridge conjecture and Fermat's Last Theorem</u> were formulated.

It is proposed that mediality as a principle is more natural, unique and universal than commutativity in generalizing the latter to *n*-ary algebras (in the binary case commutativity directly follows from mediality). This is called the *commutativity-to-mediality ansatz*, which is applied to obtain almost medial n-ary graded algebras, a new kind of tensor categories, polyadic nonunital "groupal" categories with "quertors" (analogs of querelements in *n*-ary groups), "medialed" tensor categories and querfunctors. A principally new mechanism of additional "continuous noncommutativity", governed by a special "membership deformation" of commutativity for algebras with the underlying set as obscure/fuzzy set, is introduced. Using the membership deformation factor together with the ordinary graded commutation factor, the almost commutative graded (*n*-ary) algebras and Lie algebras with double commutativity are obtained, and their projective representations are studied.

As a first step towards a the *polyadic algebraic K-theory*, the <u>Grothendieck</u> <u>construction</u> of the completion group for a monoid is generalized to the case, where both are of different, higher arities. As opposed to the binary case, an identity is not necessary for the initial *m*-ary semigroup to obtain a class *n*-ary group, which in turn need not contain an identity.

A new (infinite) class of division algebras, the hyperpolyadic algebras, which correspond to the (only 4) binary division algebras R, C, H, O (reals, complex numbers, quaternions, octonions) are defined. A polyadic propertuction is proposed, and a new iterative process gives "half-quaternions" and "half-octonions". A novel polyadic product of vectors in any vector space is defined, which is consistent with the polyadic product of vectors in any vector space is defined, which is consistent with the polyadication procedure using vectorization. Endowed with newly introduced product, the vector space becomes a polyadic algebra which is a division algebra. New polyadic algebras with higher brackets which have (as opposed to n-ary algebra multiplication, are introduced. The sigma matrices and the Pauli group are generalized to higher arities. Using them, a toy model of one-dimensional supersymmetric quantum mechanics was constructed, as a first example of polyadic supersymmetry, which is specially extended in a way different from the new multigraded SQM previously proposed.

The fundamental notion of number theory, the positional numeral system, is generalized from binary integer number ring $Z=Z_{2,2}$ to nonderived polyadic rings $Z_{m,n}$ whose addition takes m arguments and multiplication takes n. Our <u>key contributions include</u>: 1) Demonstrating that every commutative polyadic ring supports a place-value expansion that respects fixed operation patterns. 2) Establishing a lower bound on digit counts based on the arity of addition. 3) Identifying a representability gap where

only a subset of elements have finite expansions, determined by structural invariants. These findings enable novel approaches to arithmetic, data encoding, and hardware design that extend beyond conventional binary logic.

We present a <u>novel encryption and decryption method</u> that combines polyadic algebraic structures with signal processing techniques. The approach begins by encoding information into signals with integer amplitudes which are then transformed into structured integer sequences using polyadic operations. <u>Decryption involves applying tailored rules</u> and solving dedicated systems of equations to accurately reconstruct the original message.

• **DNA theory**: a new characteristic of nucleotides, the <u>determinative degree</u>, which is proportional to the dipole moment and the weight of hydration site, is unveiled. The physical characteristics of nucleotides such as <u>dipole moment</u>, <u>heat of formation and energy of the most stable formation</u> are newly computed by advanced methods. The concept of a <u>triander</u> is set up, which leads to a new method of visual sequence analysis and identification using *DNA walk diagrams*.

Scientific publications

All subjects: 202 items

<u>PDF (1985-2025)</u> mathematical physics, quantum computing and DNA structure (171 items) <u>PDF (1980-1985)</u> radiophysics and nuclear physics, particle physics and quantum chromodynamics (31 items) HTML (1985-2008) with links to articles (105 items)

111 ME (1903-2000) with links to articles (103 items)

In total: **202** publications, among them 9 books and 191 articles. In addition: <u>130 entries</u> (<u>table in PDF</u>) in <u>Concise Encyclopedia of Supersymmetry</u>.

Listed in <u>Universität Münster Highly Cited Researchers</u>, n.25 from 37 (<u>PDF</u>, the final entry on the page).

Ukrainian National H-index Ranking

Coeditors (5)

J. Bagger, W. Siegel, M.L. Walker, J. Wess, V. Zima Coauthors (52)

V.P. Akulov, A.Yu. Berezhnoy, A. Borowiec, A.J. Bruce, N. Chashchin, V.V. Chitov, M. Chursin, A. Frydryszak, O.M. Getmanetz, E. Di Grezia, W. Dudek, D.R. Duplij, N.V. Duplij, V.P. Duplij, G. Esposito, Moukun Fang, G.A. Goldin, Qiang Guo, Yanyong Hong, Shuai Huang, V.V. Kalashnikov, M. Kaliuzhnyi, O.I. Kotulska, A.T. Kotvytskiy, G.Ch. Kurinnoj, S.V. Landar, Fang Li, Li-Chao Liu, Y.G. Mashkarov, W. Marcinek, E.A. Maslov, N.M. Pelykhaty, V.M. Puzh, Liangang Qi, M.P. Rekalo, M.A. Rukavitsyn, A. Sadovnikov, Z.S. Sagan, S. Sinel'shchikov, I.I. Shapoval, V.M. Shtelen, D.V. Soroka, V.A. Soroka, S.A. Steshenko, Yuhang Tian, R. Vogl, M.L. Walker, Yani Wang, W. Werner, Tianfang Xu, I.I. Zalyubovsky, Wenjie Zhao